

Technische Universität München

A Deadline-Aware Scheduler for Smart Factory using WiFi 6 Mohit Jain, Anis Misra, Andreas Wiese, Syamantak Das, Arani Bhattacharya, Mukulika Maity

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Smart Factories are Considered to be Factories of the Future

Collects data from multiple sensors

Requires reliable and real-time communication over wireless network 2

WiFi 6/6E and 5G Offer the Best Potential to Enable Smart Factories

Uses centralized structure, with prioritization and resource reservation for classes of traffic

Support for smart factories widely studied

Expensive; access to large compute power

Traditionally decentralized; unlicensed spectrum

WiFi 6 has introduced partially centralized control: a specific type of broadcast packet allows access point (AP) to centrally control

Low cost of setup and operation make WiFi 6 attractive for smaller factories

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These properties can be used to design intelligent scheduling of packets

Example: The case of Wind Turbine

Report of smart meters and control traffic is much more critical and stringent than logging and video surveillance

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Other examples include metal processing and bottle filling

Challenges of Scheduling Packets over WiFi 6

Mapped to packets from distinct users

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Tx User 2

Time

TxOP

Parallel transmissions

must finish within TxOP

Mapped to packets from distinct users

Challenges of Scheduling Packets over WiFi 6

DPMSS: Deadline-aware Parallel Machines Scheduling with Synchronized Start

Represent trace of different factories

Better strategies of scheduling are needed to avoid dropping of critical packets

- Introduction and Problem Formulation: Using WiFi 6 in Smart Factory
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deadlines and profits, and then choose the right RU/machine for each group

Maximize

Can perform arbitrarily bad compared to optimal

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Novel problem even in the context of scheduling due to synchronized start

DPMSS: Feasibility and Hardness

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Feasible Solution:

(1) Disjoint time intervals

(2) A set of packets/jobs mapped to a set of RUs/machines for each time interval

Within an interval, no machine is assigned for than a job Total bandwidth allocated within be within the budget No job belongs to two time intervals

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> DPMSS is (strongly) NP-Hard Follows from single machine non-preemptive scheduling

Requires finding optimal configuration of jobs with slots and machines; requires maximum bipartite matching

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 $2w$

Remove conflicting job; add current job & interval

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 $w' > 2w$

First increase starting time of interval; if reached, then go back to first starting time and then increase interval size

Remove conflicting job; add current job & interval

Properties of our Algorithm

- Our algorithm is feasible
	- No conflicting intervals are chosen
	- Only admissible jobs are chosen
- Process of local search
	- We look at smaller intervals first, and schedule as much as we can
	- A larger interval is acceptable only if it provides twice as much profit
- DPMSS provides a 12-approximate solution

Enumeration across four categories of packets:

- J_1 Jobs/Packets never chosen by DPMSS; chosen by optimal solution
- J_2 Jobs/Packets added initially but then discarded; also chosen by optimal solution
- J_3 Jobs/packets that are present in DPMSS; also chosen by optimal solution
- J_A Jobs/Packets that are present in DPMSS; not chosen by optimal solution
- $w(J^*) = w(J_1) + w(J_2) + w(J_3)$; $w(J_a) = w(J_3) + w(J_4)$

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Theorem: DPMSSF provides a 12-approximate solution $w(J^*) \leq 12 \ w(J_a)$

- Adds a knapsack constraint to bipartite matching
	- Best configuration can no longer be solved by bipartite matching
- Can be solved using a polynomial task-approximation scheme (PTAS)
	- Leads to $(12 + \epsilon)$ -approximation for DPMSS
- In practice, we solve using exhaustive search
	- Most cases solved within 300 ms and all cases within 1s on Raspberry Pi 3B $\,$ 17

w': profit of jobs selected in conflicting interval $2w$ Remove conflicting job; add current job & interval ∐id∪
⊢ job mapping that give Compute machines and max profit w for interval $l \leq \delta$ $88 t \leq T$

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 $\overline{\mathsf{r}}$ $\overline{\mathsf{r}}$ $\overline{\mathsf{r}}$ $\overline{\mathsf{r}}$ Loop repeated equal to total number of time intervals possible within time horizon

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jobs x Number of RUs]2+**ε**

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Overall time complexity: Overan thrie complexity.
O(number of intervals x (number of jobs x number of RUs)^{2+ε})

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Results: Use Cases Taken from Variety of Sources

Management of Factory Robots Metal Processing Site

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Use cases cover a wide variety of deadlines, number of packets and profit

Simulation Settings

- Implementation: In C++ with code borrowed from ns3 (open-sourced)
- Channel Model: Both good and bad channels are considered
	- Using suitable modulation and coding scheme
- Time Horizon: 200ms
	- Any packets not scheduled within 200ms are assumed dropped
	- Leads to some loss of optimality; but we empirically observe it is very small

Results: Baselines

Exhaustive search over RU configurations

Scheduling of Packets in Industrial Robotic Control

Both total drops and critical packet drops are far lower than baselines

Scheduling of Packets in Metal Processing

Both total drops and critical packet drops reduce to 0

Summary

- Smart factories require connectivity with specific requirements
- WiFi 6 can satisfy such requirements using specific techniques
- Scheduling packets in the above scenario is NP-Hard
- We propose a local-search based algorithm to schedule packets
- Our algorithm always provides profit greater 1/12 of the optimal

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Thank You arani@iiitd.ac.in